Layered controller synthesis for dynamic multi-agent systems

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Introduction

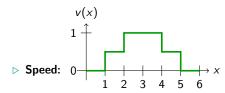
Dynamic multi-agent system's verification

• A running example

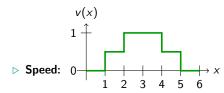
https://perso.eleves.ens-rennes.fr/people/Emily.Clement/Videos/example_episodes/ex_0.mp4

	Timed Automata	Reinforcement Learning	
	Abstract representation		
Model	(acceleration)		
		Combinatorial or	
Waekness	Time of execution	Continuous aspects	

• Our assumptions

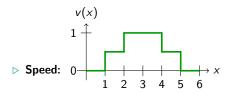


• Our assumptions



> Paths of cars: fixed trajectories, fixed finals & initial positions.

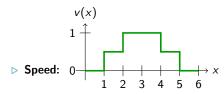
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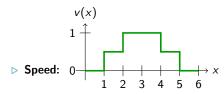
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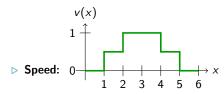
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- ▷ **Our control:** the speed of (all) cars.

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- ▷ Goal: reach goals while avoiding collisions between agents.

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• Our contribution: Three-layered Controller synthesis

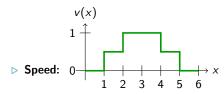
SWA-SMT Solver

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Stage 1: Reachability algorithm on a simplified ISWA model



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SWA-SMT Solver

Stage 1: Reachability algorithm on a simplified ISWA model

Stage 2: Refine the model of the speed

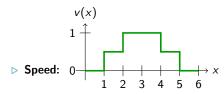




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▷ Goal: reach goals while avoiding collisions between agents.

• Our contribution: Three-layered Controller synthesis

SWA-SM	T Solver	RL training		
Stage 1 : Reachability algorithm on a simpli- fied ISWA model	Stage 2 : Refine the model of the speed	Generate a dataset for random initial positions	Stage 3 : Train an RL algorithm with our dasaset	
SWA	SMT	Dataset	RL	

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SWA-SMT solver

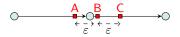
SWA solver



 \bullet #1: security distance when driving in the same direction and between neighbouring sections



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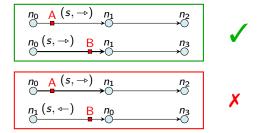
•#2: cars cannot share a section if driving in **opposite** direction



•#1: security distance when driving in the same direction and between neighbouring sections



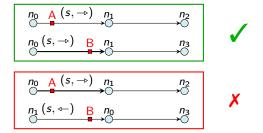
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 \bullet #1: security distance when driving in the same direction and between neighbouring sections



•#2: cars cannot share a section if driving in **opposite** direction



•#3: No Overtaking between cars

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▷ A point in \mathbb{R}^2 : a node $\overset{n_0}{\bigcirc}$ ▷ A section $s_{[n_0,n_1],L}$ of the road: $\overset{n_0}{\bigcirc} \xrightarrow{n_1}_{L}$

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: a node \bigcirc^{n_0}
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 $\triangleright A \text{ path: } p_0 \stackrel{n_0}{:} \stackrel{n_1}{\to} \stackrel{n_3}{\to} \stackrel{n_4}{\to} \stackrel{n_6}{\to} \stackrel{n_{11}}{\to} \stackrel{n_{11}}{\to} \stackrel{n_{12}}{\to} \stackrel{n_{11}}{\to} \stackrel{n_{11}}{\to} \stackrel{n_{12}}{\to} \stackrel{n_{12}}{\to} \stackrel{n_{13}}{\to} \stackrel{n_{14}}{\to} \stackrel{n_{16}}{\to} \stackrel{n_{11}}{\to} \stackrel{n_{11}}{\to} \stackrel{n_{12}}{\to} \stackrel{n_{12}}{\to}$

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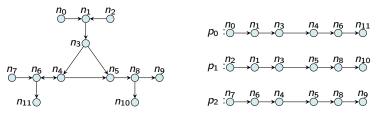
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- ▷ Car: (position, speed, trajectory)
- ▷ A car traffic: c_0, c_1, c_2 are each assigned paths p_0, p_1, p_2 :



• Needs

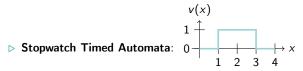
▷ Stopwatch Timed Automata: $\begin{matrix} v(x) \\ 1 & 1 \\ 0 & 1 \\ 1 & 2 & 3 & 4 \end{matrix}$

Needs



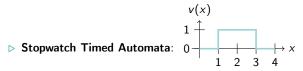
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Needs



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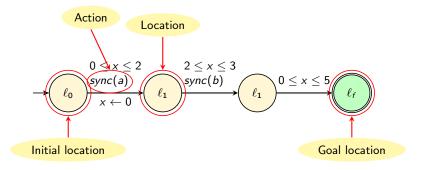
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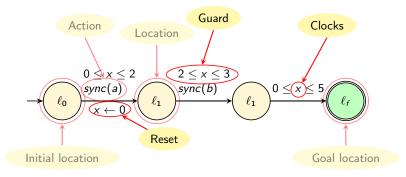
- Clocks of TA: Monitor each car's progress.
- **Synchronised action**: Compute distance between each cars.
- > FiFo channels: A car cannot overtake another car.

$$\xrightarrow{0 \le x \le 2} \underbrace{2 \le x \le 3}_{sync(a)} \xrightarrow{sync(b)} \underbrace{\ell_1}^{0 \le x \le 5} \underbrace{\ell_f}$$

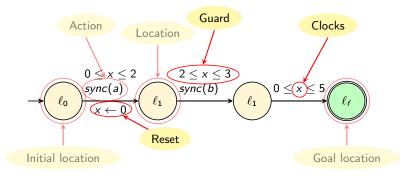
Variants



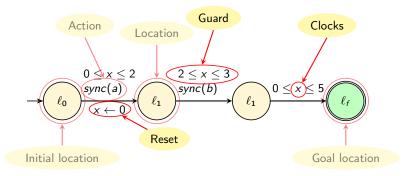
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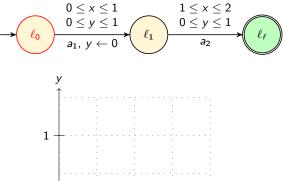
• Variants • Stopwatch $\rightarrow \ell_0$: clock x is stopped in location ℓ_0 . $\{x\}$



Variants

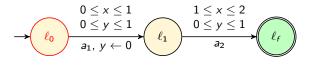
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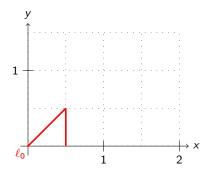
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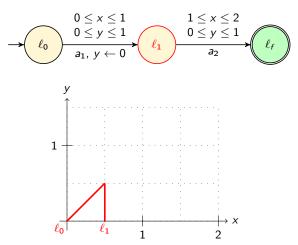


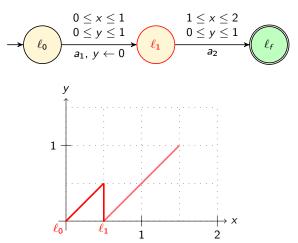
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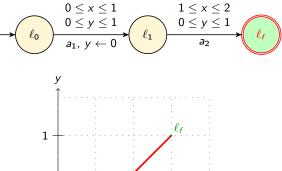
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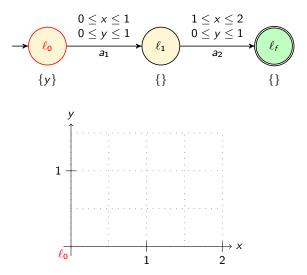
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A run of a timed automaton

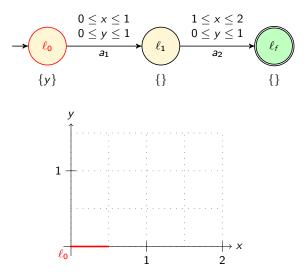
• A run with a (two-clock) stopwatch timed automaton (ISWA)



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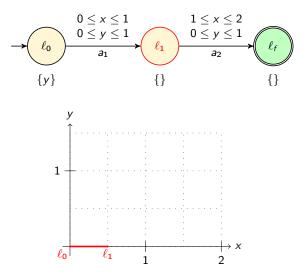
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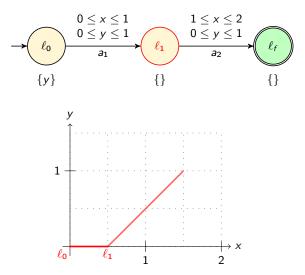
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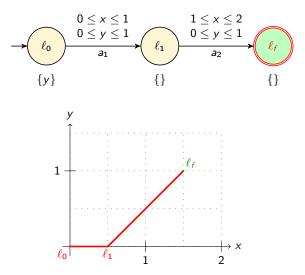
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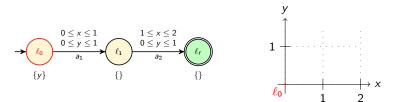
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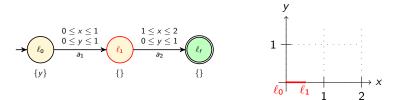


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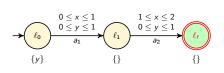
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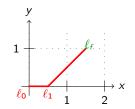


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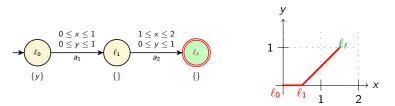


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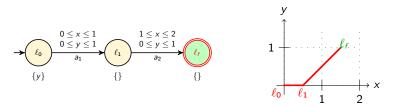
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▶ Reachability is Undecidable in general cases.

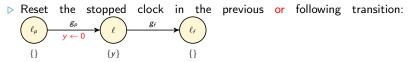
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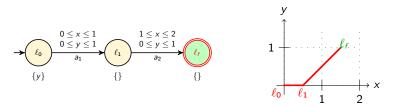
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Initialized Stopwatch Timed Automata



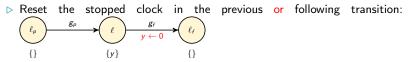
> Reachability becomes Decidable for this fragment of SWA.

• Example of a two-clocks Stopwatch Timed Automata



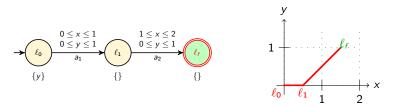
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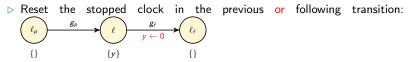
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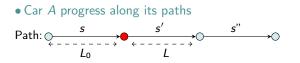
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Bounded channels

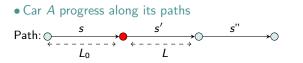
Channels: FiFo queue of symbols (actions) to be pushed/read Emily Clement

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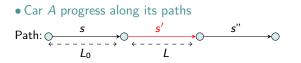
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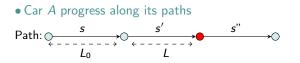
- \triangleright **Clock** x_A : distance travelled along its paths
- **Stopwatches** $\{x_A\}$: the car A stops instantly.
- ▷ **Channels** $c_{s'}!x_A/c_{s'}?x_A$: respect the order of cars in a section $s \Rightarrow$ no overtaking.
- Intersection: use classical synchronized action to activate intersection automata



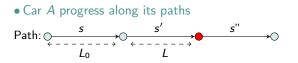
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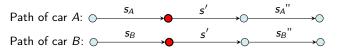
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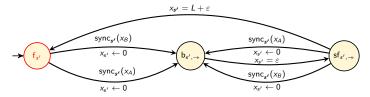
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• Intersection automaton

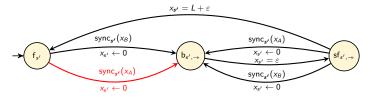


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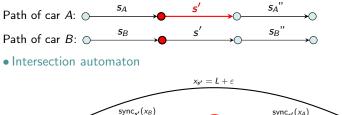
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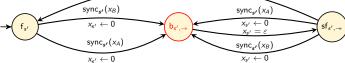


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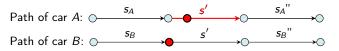


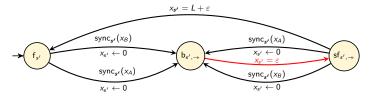
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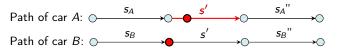




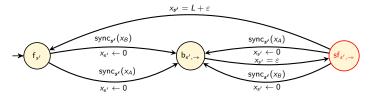
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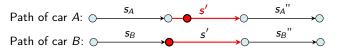


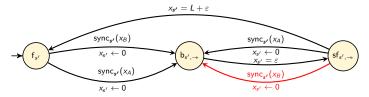




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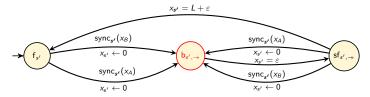






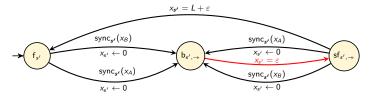


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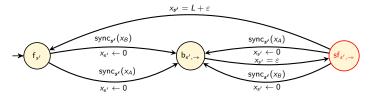


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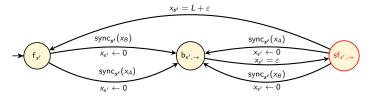


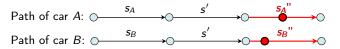


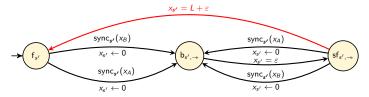


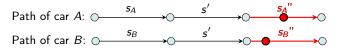




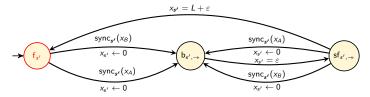






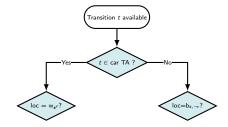


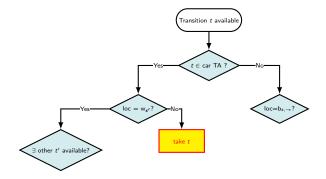
• Intersection automaton

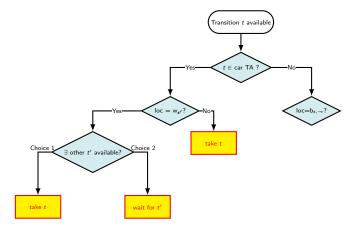


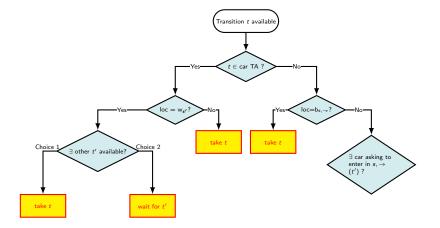
Emi



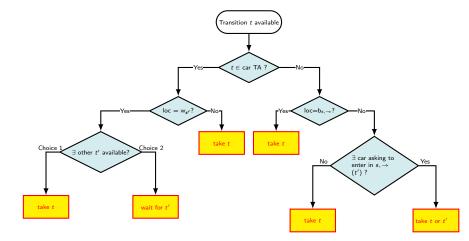








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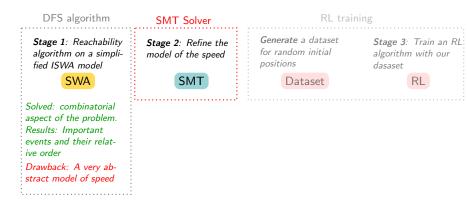
SWA-SMT solver

SMT solver



Drawback: A very abstract model of speed

DFS algorithm	SMT Solver	RL training	
Stage 1 : Reachability algorithm on a simpli- fied ISWA model	Stage 2 : Refine the model of the speed	<i>Generate</i> a dataset for random initial positions	Stage 3 : Train an RL algorithm with our dasaset
SWA	SMT	Dataset	RL
Solved: combinatorial aspect of the problem. Results: Important events and their relat- ive order		·	:



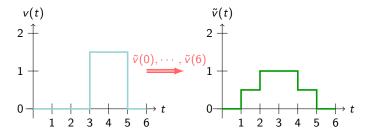
• SMT solver

- ▷ The continuous aspect of the problem
- Introduce a more realistic model of speed

• A constant piecewise affine function

- \triangleright A more realistic model that takes into account the dynamic of the system
- Different car speeds
- Bounds on deceleration and acceleration

$$egin{array}{rll} v_i(t) &\Rightarrow& ilde v_i(0),\cdots, ilde v_i(k-1)\ x(t) &\Rightarrow& ilde x_i(k) = \sum_{l=0}^{k-1} ilde v_l(l) \end{array}$$



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- New positions/speeds
 - $\begin{array}{l} \triangleright \hspace{0.1cm} \tilde{x}_i(k) = \sum_{l=0}^{k-1} \tilde{v}_i(l) \\ \triangleright \hspace{0.1cm} \tilde{v}_i(0), \cdots, \tilde{v}_i(k-1) \end{array}$

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• Example of SMT solver's inequalities

For each step k:

$$\triangleright ~ ilde{v}_i(k) - d_{\max} \leq ilde{v}_i(k+1) \leq ilde{v}_i(k) + a_{\max}$$

• New positions/speeds

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u}_i(k) + a_{ extsf{max}}$$

 \triangleright $0 \leq \tilde{v}_i(k) \leq v_{\max}$

RL training

Generate a dataset for random initial positions

Dataset

Stage 3: Train an RL algorithm with our dasaset



Emily Clement Layered controller synthesis for dynamic multi-agent systems

DFS algorithm

Stage 1: Reachability algorithm on a simplified ISWA model

SWA

Solved: combinatorial aspect of the problem. Results: Important events and their relative order Drawback: A very ab-

stract model of speed

SMT Solver

Stage 2: Refine the model of the speed

SMT

A more realistic model of speed Results: traces that takes into account the dynamical aspect of the problem Drawback: runtime execution

SWA-SMT solver

RL training

Generate a dataset for random initial positions

Stage 3: Train an RL algorithm with our dasaset

RL

Dataset

Drawback: our problem has both combinatorial and continuous aspects Goal: get an intuition from dataset to avoid unsuccessful choices

DFS algorithm	SMT Solver	RL training	
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SWA-SMT solver

• RL training dataset

- Create random initial positions/speeds for cars
- Generate traces with the SWA-SMT solver

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Layered controller synthesis for dynamic multi-agent systems

• Markov Decision Process

> Deterministic running example: deterministic transition function.

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- ▷ State s_i . For each section s_i , if a car c is in s: $v_{i,c}$, $pos_{i,c}$, id_c , 1

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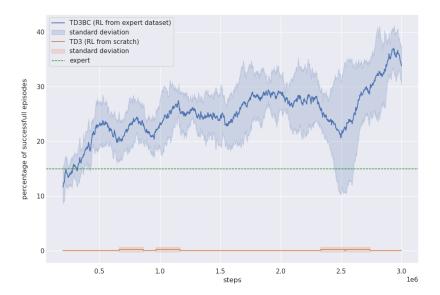
 $\triangleright \text{ Action } \operatorname{act}_{i}: \underbrace{(\operatorname{acc}_{i,c})_{c \in \operatorname{Cars}}}_{i} \underbrace{(\operatorname{pos}_{i,c}, v_{i,c})}_{i} \xrightarrow{-----} \underbrace{(\operatorname{pos}_{i,c} + v_i, v_{i,c} + \operatorname{acc}_{i,c})}_{i+1}$

- Markov Decision Process
 - > Deterministic running example: deterministic transition function.
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Trajectories si, Obsi, acti

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 - Trajectories si, Obsi, acti
 - Reward:
 - \circ +2000 if goals are achieved
 - $\circ~-100$ if distance rules are not respected
 - \circ \nearrow with speed
 - $\circ \ \nearrow$ with the increase of distance between cars

Results with SWA-SMT solver, post SWA-SMT solver RL and single RL training



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Layered controller synthesis for dynamic multi-agent systems

DFS algorithm

Stage 1: Reachability algorithm on a simplified ISWA model

SWA

Solved: combinatorial aspect of them problem. Results: Important events and their relative order Drawback: A very abstract model of speed

SMT Solver

Stage 2: Refine the model of the speed

SMT

A more realistic model of speed Results: traces that takes into account the dynamical aspect of the problem Drawback: runtime execution

RL training

Generate a dataset for random initial positions

Stage 3: Train an Ri algorithm with our dasaset

Dataset

RL

Drawback: our problem has both combinatorial and continuous aspects Method: get an intuition from dataset to avoid unsuccessful choices MDP model to reward short-time episode and distance between cars

SWA-SMT solver

Conclusion

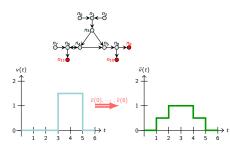
• SWA-SMT Solver

Automata-based model

Efficient algorithm Abstract model with unrealistic speed model

Piecewise-affine speed graph

Bounded accelleration and deceleration Different speed SMT solver to model and solve the distance constraints



Conclusion

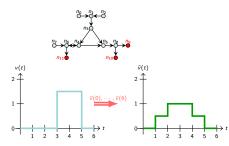
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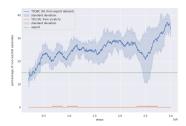
Dataset

Trace generated with SWA-SMT solver Random positions & speeds

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Performance of RL (helped with SWA-SMT solver)

Better than single RL Better than SWA-SMT solver Runtime: ~ 2 days



Conclusion

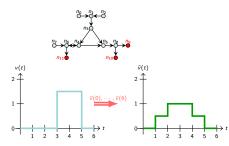
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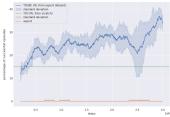
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• Future work: Decentralized multi-agent systems



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Layered controller synthesis for dynamic multi-agent systems